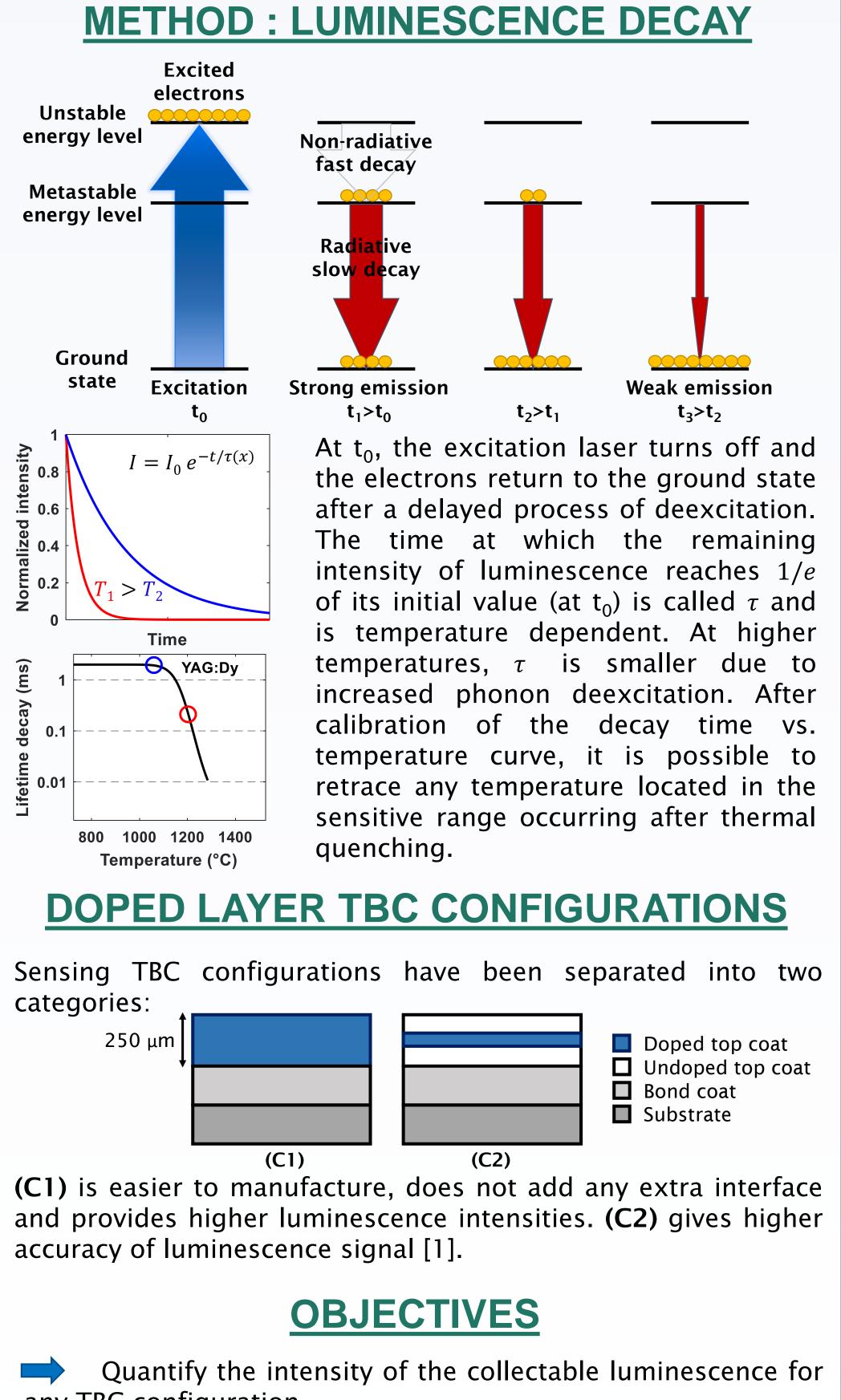


Thermal barrier coatings (TBCs) are used to protect turbine components from the extremely hot gas flow, which may be above the component materials melting point. Accurate temperature measurements enable precise lifetime predictions, which favor safety and efficiency. In-situ monitoring of in-service turbine components is ideal; a promising method is Phosphor Thermometry which uses the luminescence decay of doped coatings stimulated by a pulsed laser. There are various configurations of candidate phosphors and host materials, but it is crucial to ensure both sensing and integrity needs are met.



any TBC configuration. Predict the location into the TBC of the Phosphor Thermometry temperature output.

# Configurations for Luminescence-based Temperature Sensing Thermal Barrier Coatings

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The challenge with modeling Thermal Barrier Coating optical properties is to account for the significant amount of scattering that occurs due to the intrinsic inhomogeneities of porous ceramic materials that are used to lower thermal conductivities. In addition, it is necessary to consider absorption of light as it travels through the coating. A well-known model that combines both factors is the Kubelka-Munk model. The following equations are describing the distribution of intensities of excitation and emission lights as the laser beam penetrates TBC that contains luminescent dopants:

$$\frac{dx}{dx} = AY_{laser}(x) \tag{1}$$

$$\frac{dY_{lum}(x)}{dx} = AY_{lum}(x) + QY_{laser}(x)$$
(2)

$$A_{laser} = \begin{pmatrix} -(K_{laser} + S_{laser}) & S_{laser} \\ -S_{laser} & K_{laser} + S_{laser} \end{pmatrix}$$
$$A_{lum} = \begin{pmatrix} -(K_{lum} + S_{lum}) & S_{lum} \\ -S_{lum} & K_{lum} + S_{lum} \end{pmatrix}$$
$$Q = \begin{pmatrix} \frac{qK_{laser}}{2} & \frac{qK_{laser}}{2} \\ -\frac{qK_{laser}}{2} & -\frac{qK_{laser}}{2} \end{pmatrix}$$

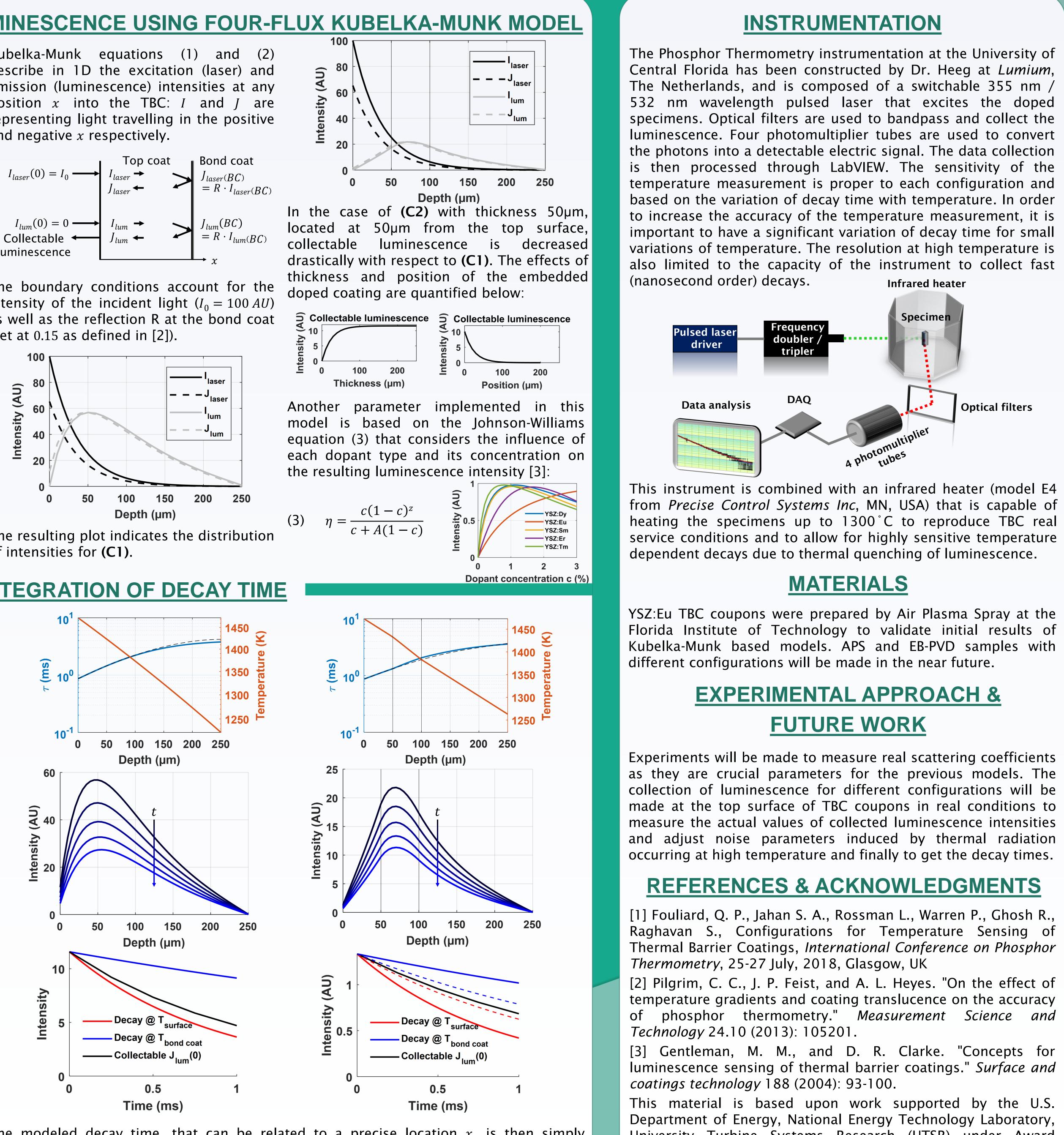
One of the main work on this model is the integration of decay time for numerical predictions of the collectable  $J_{lum}(0,t)$ .

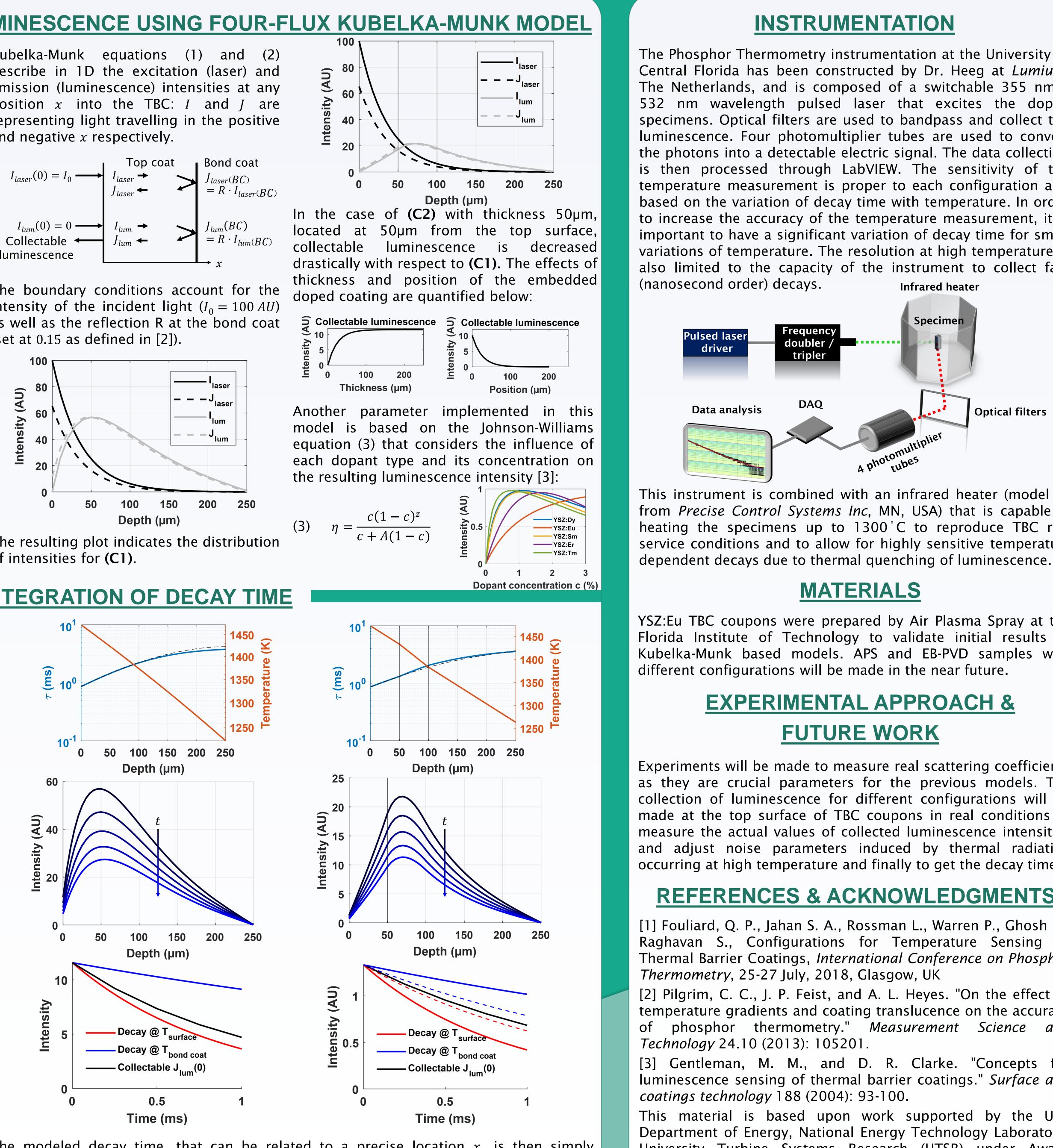
$$\phi(x,t) = e^{-t/\tau(x)} \tag{4}$$

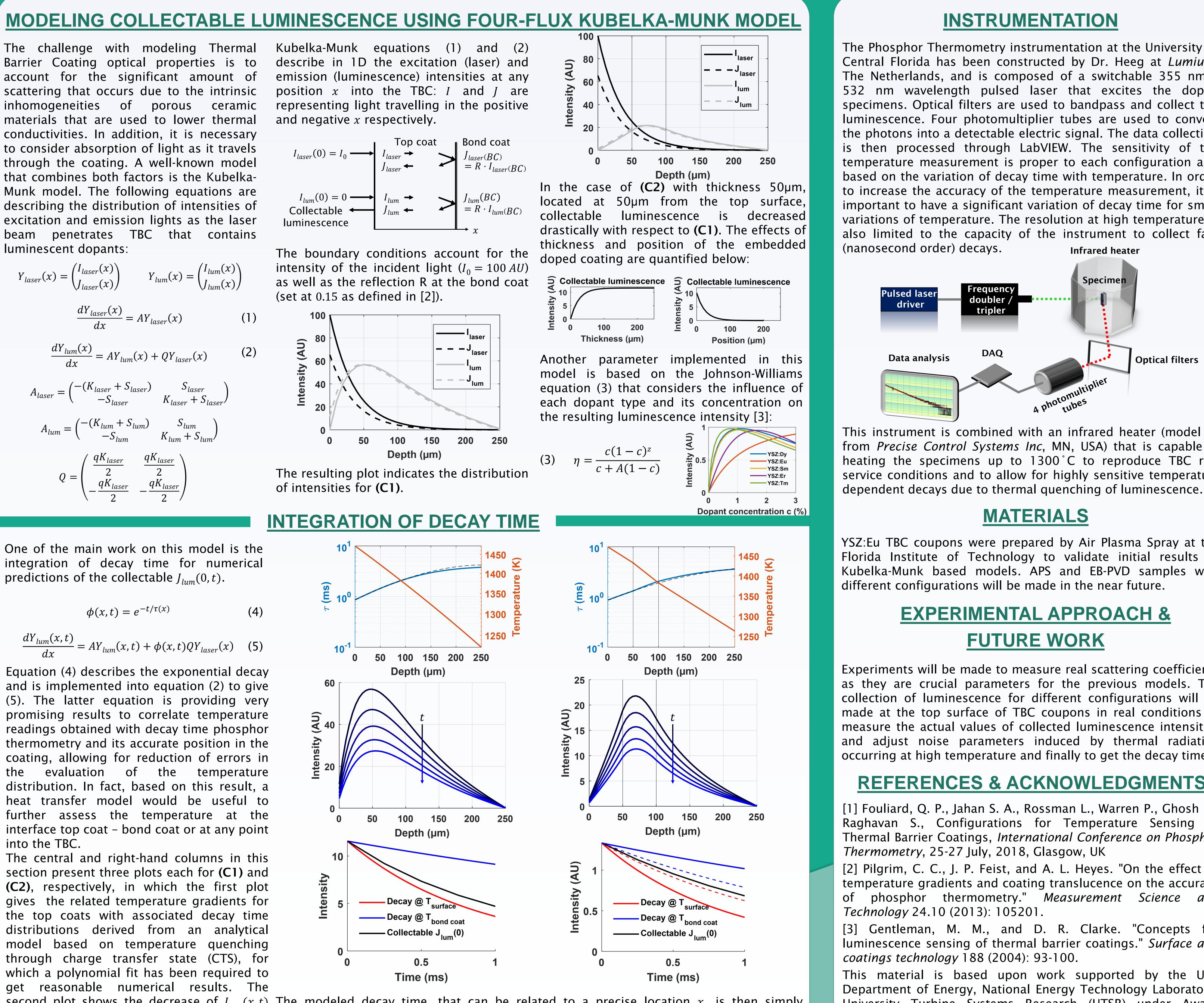
$$\frac{dY_{lum}(x,t)}{dx} = AY_{lum}(x,t) + \phi(x,t)QY_{laser}(x)$$
(5)

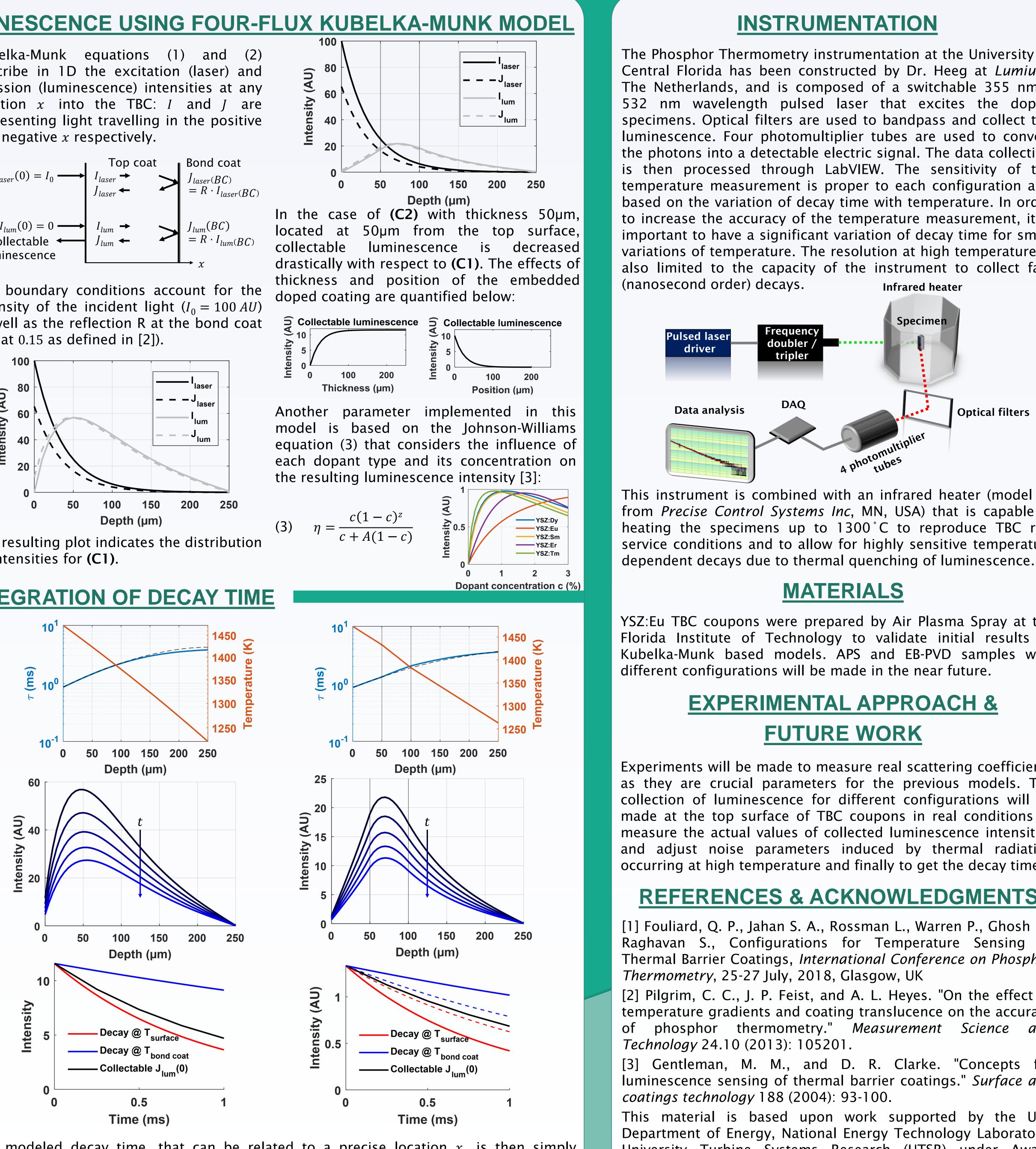
Equation (4) describes the exponential decay and is implemented into equation (2) to give (5). The latter equation is providing very promising results to correlate temperature readings obtained with decay time phosphor thermometry and its accurate position in the coating, allowing for reduction of errors in the evaluation of the temperature distribution. In fact, based on this result, a heat transfer model would be useful to further assess the temperature at the interface top coat – bond coat or at any point into the TBC.

The central and right-hand columns in this section present three plots each for (C1) and (C2), respectively, in which the first plot gives the related temperature gradients for the top coats with associated decay time distributions derived from an analytical model based on temperature quenching through charge transfer state (CTS), for which a polynomial fit has been required to get reasonable numerical results. The due to luminescence decay.









second plot shows the decrease of  $J_{lum}(x,t)$  The modeled decay time, that can be related to a precise location x, is then simply extracted from the third plot using an exponential fit.



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